

2024 C/ CHARTING EDUCATION AND WORKFORCE PATHWAYS TO DEVELOP QUANTUM PROFICIENT CYBER SECURITY EXPERTS Unity Symposium Xiuwen Liu, Mike Burmester, and Weikuan Yu **Department of Computer Science**

Florida State University



BACKGROUND

- National Quantum Initiative and its ongoing activities to explore and promote Quantum Information Science (QIS)
 - The National Quantum Initiative Act provides for the continued leadership of the United States in QIS and its technology applications

LQUANTUM

THE FEDERAL SOURCE AND GATEWAY TO QUANTUM R&D ACROSS THE U.S



quantumlen

NATION

RECENT REPORTS

- Annual Report on the NQI Program Budget, December 1, 2023
- National Security Memorandum 10 on Quantum Computing, May 4, 2022

FRNMENT

- Bringing Quantum Sensors to Fruition, March 24, 2022
- QIST Workforce Development National Strategic Plan, February 1, 2022





In the most recent report, the Initiative emphasizes the importance of creating a quantum-proficient workforce



4.2 Creating a Quantum-Smart Workforce for Tomorrow

The United States has built a strong foundation for QIS R&D over the past decades, with a baseline level of research infrastructure and a scientific and technical workforce comprising talented college graduates, Ph.D. students, postdocs, staff scientists, and professors. The workforce has grown through the steady process of funding fundamental research and through job opportunities at universities, Federal laboratories, and quantum-related industries. Yet, in recent years this workforce has come under strain as the need for technical talent outstrips supply, with competing demands from industry, academia, and the Federal workforce. Furthermore, the growth that has occurred has not evolved to represent all of America, with many groups still being underrepresented.

To help ensure the United States creates a diverse, inclusive, and sustainable workforce that possesses the broad range of skills needed by industry, academia, national laboratories, and the U.S. Government, the SCQIS released a **OIST Workforce Development National Strategic Plan.155** This plan outlined four actions to help meet this goal:

- Develop and maintain an understanding of the workforce needs in the QIST eco Action 1) with both short-term and long-term perspectives;
- Introduce broader audiences to QIST through public outreach and educational Action 2) materials;
- Address QIST-specific gaps in professional education and training opportunities; and Action 3)
- Make careers in QIST and related fields more accessible and equitable. Action 4)



U computer Science

Due to the potential threats posted by quantum algorithms that could break otherwise secure public cryptographic protocols that are widely used, CISA, NIST, and NSA have asked the agencies and others to mitigate to the current protocols to quantum-resistant ones

Post-Quantum Cryptography Initiative

RELATED TOPICS: RISK MANAGEMENT

Critical infrastructure systems rely on digital communications to transmit data. To secure the data in transit, cryptographic technologies are used to authenticate the source and protect the confidentiality and integrity of communicated and stored information. As quantum computing advances over the next decade, it is increasing risk to certain widely used encryption methods. This memorandum outlines my Administration's policies and initiatives related to quantum computing.

PRESS RELEASE | Aug. 21, 2023

mmu Post-Quantum Cryptography: CISA, NIST, and NSA Recommend How to Prepare Now

The National Security Agency (NSA), Cybersecurity and Infrastructure Security Agency (CISA), and National Institute of Standards and Technology (NIST) warned that cyber actors could target our nation's most sensitive information now and leverage future quantum computing technology to break traditional non-quantum-resistant cryptographic algorithms. This could be particularly devastating to sensit information with long-term secrecy requirements.

The joint Cybersecurity Information Sheet (CSI), "Quantum-Readiness: Migration to Post-Quantum Cryptography," helps the Department of Defense, National Security System (NSS) owners, the Defense Industrial Base (DIB), and others proactively protect the confidentiality, integrity, and authenticity of sensitive information.



- Note that while quantum computers that can break RSA in a few hours are not feasible yet, they can be relevant today through the failure of the perfect forward secrecy requirement
 - If the parties establish keys using the RSA algorithms without perfect forward secrecy, one can store the packets related to a session
 - - Years later, the malicious parties could use quantum computers to break the RSA







Stateless Hash-Based Digital Signature Standard

ndards (FIPS):



- While the needs of a quantum-proficient workforce is well recognized when quantum technologies become an important component of the economy, the challenge is how to produce a workforce NOW
 - Quantum information and computing techniques are new to most computer science programs
 - They are not part of the existing curricular in most universities
 - Most of computer science and cyber security faculty do not know the subject
 - They are very different from typical computer science courses
 - While quantum technologies could become very important, they are in the very early stages and face many technical challenges and uncertainties
 - We cannot educate a workforce to be potentially employed after 10 or 20 years



PROPOSED SOLUTION

- The core component of our proposed solution is to enhance cyber security majors to be quantum proficient
 - Built on the strong problem solving and programming foundations of cyber security majors
- There are several reasons that we believe this is the best solution
 - As post-quantum cryptographic protocols are required in the next two or three years, there would be a great need to redesign and test web sites and web services
 - As we all know, there are many challenges to secure the current applications and servers
 - Teaching quantum information and computing to cyber security majors can be achieved if this is done effectively





PROPOSED SOLUTION – CONT.

- We are pioneering a QIS program at our department
 - We have developed and taught a class in summer 2023 on quantum computing
 - We will teach this course again in summer 2024
- We design the course on top of the computer science courses our students have already taken
 - Computer circuits in computer architecture
 - Programming platforms and Python libraries
 - Making use of the IBM Quantum Platform

Quantum Computing: Algorithms and Applications

CIS 4930/CIS 5930, Summer 2023 Department of Computer Science, Florida State University

Class time and location: Tuesday and Thursday, 9:45 - 11:15 am In person (Room 101, Love Building) and Zoom (link will be provided to registered students)

Description:

This course covers fundamental principles, algorithms, and applications of quantum computing using a hands-on approach. Topics include quantum computing system components, quantum computing fundamentals, simple algorithms, Quantum Fourier transform, advanced quantum algorithms, and applications of quantum computing in machine learning and chemistry and QC programming tools and their implementations on quantum computers and platforms. In the end, we will study a few research papers to get an exposure on activeresearch directions in quantum computing.

Senior or graduate standing in science or engineering, or permission of the instructors. Some familiarity with basic concepts in linear algebra (including complex numbers) and probability theory. Some basic knowledge of algorithm designs and some experience with Python programming or another language that is supported by Qiskit (or another platform you like to use for simulations).

This course is intended for students who wants to learn: * More about quantum computing * How to realize its potentials in applications including machine learning, quantum chemistry, post-quantum cryptography (In particular, the course will take a hands-on approach and the students will design and run their own quantum programs via IBM Quantum Experience.)

Instructors: Prof.Weikuan Yu and Prof.Xiuwen Liu Emails: yuw@cs.fsu.edu and liux@cs.fsu.edu For more informatiom, see https://www.cs.fsu.edu/~liux/courses/QC/

Prerequisites



- Florida State University has invested significantly in quantum science and engineering
 - With more than \$20 million dedicated to the area, FSU is positioned to be a hub for research and education in quantum science





At the atomic and subatomic scales of matter, classical laws of nature lose control and quantum mechanics take over. Discoveries of new quantum phenomena and materials, such as quantum entanglement and topological systems, promise to deliver groundbreaking technologies. New extremely efficient quantum computers and communications and cryptography technologies are among a few of the future applications that could revolutionize the world. Florida State University will dedicate more than \$20 million to guantum science and engineering over the next three years, funding that will support hiring at least eight new faculty members, equipment and dedicated space in the university's Interdisciplinary Research and Commercialization Building, and seed money for a new program focused on this emerging field. FSU President Richard McCullough announced the investments at the first day of the university's Quantum Science and Engineering Symposium last week.



PROPOSED SOLUTION – CONT.

- In the next few slides, we will introduce the quantum algorithms and the ways we have covered them so that you can see that they are not as difficult as they appear
- One of the common misconceptions is that quantum computing requires a good understanding of quantum mechanism
 - While building and designing new quantum bits would require advanced degrees in quantum mechanism, physics, chemistry, and materials sciences, quantum information and computing builds on quantum bits
 - The situation is very similar to what we do in computer science today with respect to gates and semi-conductance materials
 - Actually, computer architectures would require a good understanding of quantum mechanism as the quantum effects are relevant





STATE OF QUANTUM COMPUTING

- There are very active and large investments from governments and companies, trying to leverage the unique properties of quantum states
 - An easy way to experiment with real quantum computers is via IBM Quantum







QUANTUM MECHANIC SYSTEM MODEL

Key properties

Evolution Postulate

The time-evolution of the state of a *closed* quantum system is described by a unitary operator. That is, for any evolution of the closed system there exists a unitary operator U such that if the initial state of the system is $|\psi_1\rangle$, then after the evolution the state of the system will be

Composition of Systems Postulate

When two physical systems are treated as one combined system, the state space of the combined physical system is the tensor product space $\mathcal{H}_1 \otimes \mathcal{H}_2$ of the state spaces $\mathcal{H}_1, \mathcal{H}_2$ of the component subsystems. If the first system is in the state $|\psi_1\rangle$ and the second system in the state $|\psi_2\rangle$, then the state of the combined system is

 $|\psi_1\rangle\otimes|\psi_2\rangle.$





PROBLEM SOLVING USING QUANTUM COMPUTING

- **Quantum Superposition**
 - A quantum bit represents 0 and 1 at the same time probabilistically
 - The Block sphere is a good and common
 - Keep in mind that one can only measure
 A each time, creating a bottleneck
- - Typically, a system with more quantum bits is obtained by composing systems with fewer qubits
- Quantum Parallelism



 \mathcal{Z}



PROBLEM SOLVING USING QUANTUM COMPUTING

- Quantum Algorithms
 - Fundamentally, quantum algorithms are quantum circuits, consisting of quantum gates <<
 - By utilizing some key properties of the gates, one can solve certain problems more efficiently than any classical algorithms
 - Quantum circuits can be modeled as matrix multiplications, very similar to reversible computing







PROBLEM SOLVING USING QUANTUM COMPUTING

Quantum Algorithms – Flipping About the Mean Operator and Grover's Algorithm



Here is the quantum phase estimation problem

Phase Estimation Problem Input: The state $\frac{1}{\sqrt{2^n}} \sum_{y=0}^{2^n-1} e^{2\pi i \omega y} |y\rangle$. **Problem:** Obtain a good estimate of the phase parameter ω .

- An efficient solution to this problem is almost the same as the quantum Fourier transform and is also a key component to the eigenvalue estimation problem
- We use a binary encoding for ω ,

$$\omega = 0 \cdot x_1 x_2 x_3 \cdots$$

- This is a binary number representation for fraction numbers
- The value is given by $x_1 \cdot 2^{-1} + x_2 \cdot 2^{-2} + x_3 \cdot 2^{-3} + \cdots$







• A key property of

$$\begin{array}{c}
1 \\
\sqrt{2^{n}} \\
y=0
\end{array}
e^{2\pi i\omega y} |y\rangle \\
- \text{ It can be written as the tensor product of n terms} \\
\frac{1}{\sqrt{2^{n}}} \\
\sum_{y=0}^{2^{n}-1} e^{2\pi i\omega y} |y\rangle = \left(\frac{|0\rangle + e^{2\pi i(2^{n}-1)}|1\rangle}{\sqrt{2}}\right) \\
\left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right) \\
= \left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right) \\
\left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right) \\
\left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right) \\
\cdots \\
\left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right) \\
\cdots \\
\left(\frac{|0\rangle + e^{2\pi i(0\cdot x_{n}x_{n+1}\cdots)}|1\rangle}{\sqrt{2}}\right).
\end{array}$$



'UM



The inverse of quantum phase estimation is the quantum Fourier transform





- The circuits for quantum phase estimation and for quantum Fourier transform are the key for exponential speedup for a number of quantum algorithms
 - Including Shor's factorization algorithm and solution to the discrete logarithmic problem
 - Harrow-Hassidim-Lloyd algorithm ____
 - It does not have an exponential speedup as an end-to-end solution to solving linear equations

Order-Finding Algorithm

- 1. Choose an integer n so that $2^n \ge 2r^2$. The value $n = \lceil 2 \log N \rceil$ will suffice.
- 2. Initialize an *n*-qubit register to $|0\rangle^{\otimes n}$. Call this the control register.
- 3. Initialize an *n*-qubit register to $|1\rangle = |00...01\rangle$. Call this the target register.
- 4. Apply the QFT to the control register.
- 5. Apply c- U_a^x control and target registers.
- 6. Apply the QFT^{-1} to the control register.
- Measure the control register to obtain an estimate $\frac{x_1}{2^n}$ of a random integer multiple of $\frac{1}{\pi}$.
- 8. Use the continued fractions algorithm to obtain integers c_1 and r_1 such that $\left|\frac{x_1}{2^n} - \frac{c_1}{r_1}\right| \leq \frac{1}{2^{\frac{n-1}{2}}}$. If no such pair of integers is found, output 'FAIL'.
- 9. Repeat Steps 1–7 to obtain another integer x_2 and a pair of integers c_2 and r_2 such that $\left|\frac{x_2}{2^n} - \frac{c_2}{r_2}\right| \leq \frac{1}{2^{\frac{n+1}{2}}}$. If no such pair of integers is found, output 'FAIL'.
- 10. Compute $r = \text{LCM}(r_1, r_2)$. Compute $a^r \mod N$.
- 11. If $a^r \mod N = 1$, then output r. Otherwise, output 'FAIL'.



SUMMARY – PART I

- Quantum bits and gates provide unique advantages with no counter parts in classical computing
 - Utilizing these properties has resulted in algorithms with exponential speedup, including factorization
 - This renders the current public key cryptography systems insufficient
 - Problem solving using quantum computing has been being explored actively
 - Considering the algorithms as end-to-end solutions elucidates the advantages and limitations of quantum algorithms
- Post-quantum cryptographic systems will be a reality in the next one or two years





POST QUANTUM CRYPTOGRAPHY QUANTUM COMPUTERS (QC): THE GOOD, THE BAD, AND UGLY

- QC are much more powerful than conventional computers: on storage size n they can compute as if they were operating on 2^n values in parallel.
- QC are very expensive to build and operate at temperatures close to absolute zero. Qubits are fragile and susceptible to noise, to errors, and have a very short lifespan mur of $\sim 2ms$.
- If you read the state of a QC you see only one value: the others disappear.
- Bounded error Quantum Polynomial time (BQP): decision problems that can be solved by a QC in polynomial time. It is widely believed that QC cannot solve NP hard problems
- Average-case hardness vs worst-case hardness.



THREATS TO CURRENT SYMMETRIC AND ASYMMETRIC PROTOCOLS

- *Grover's Quantum Algorithm*: Brute-force search for the *n*-bit secret key k of a symmetric-key algorithm that encrypts a message m to a ciphertext c requires only $\sqrt{2^n} = 2^{n/2}$ tries. Same for MACs.
 - This means that AES-128 offers only 64-bit protection. *Must use AES-256*
- Shor's Algorithm: Solves the factoring, discrete logarithm, and period finding problems efficiently.

This means that a sufficiently large QC will break all current public-key algorithms: RSA, Diffie-Hellman, ElGamal, elliptic curve crypto.

What is needed: a few thousand logical qubits and a program that applies a few billion logical gates (not yet feasible)





NIST: THREE NEW ALGORITHMS FOR 2024.

NIST	NST	NIST
Information Technology Laboratory COMPUTER SECURITY RESOURCE CENTER	Information Technology Laboratory COMPUTER SECURITY RESOURCE CENTER	Information Technology Laborat
	PUBLICATIONS	
Module-Lattice-Based Key-Encapsulation Mechanism Standard	FIPS 204 (Initial Public Draft) Module-Lattice-Based Digital Signature Standard	Stateless Hash-B
Date Published: August 24, 2023 Comments Due: November 22, 2023 Email Comments to: fips-203-comments@nist.gov	Date Published: August 24, 2023 Comments Due: November 22, 2023 Email Comments to: fips-204-comments@nist.gov	Date Published: August 24, 2023 Comments Due: November 22, 2023 Email Comments to: <u>fips-205-comm</u>
Author(s) National Institute of Standards and Technology	Author(s) National Institute of Standards and Technology	Author(s) National Histitute of Standards and T
Announcement NIST requests comments on three draft Federal Information Processing Standards (FIPS): FIPS 203, Module-Lattice-Based Key-Encapsulation Mechanism Standard FIPS 204, <u>Module-Lattice-Based Digital Signature Standard</u> FIPS 205, <u>Stateless Hash-Based Digital Signature Standard</u>	Announcement NIST requests comments on three draft Federal Information Processing Standards (FIPS): FIPS 203, <u>Module-Lattice-Based Key-Encapsulation Mechanism Standard</u> FIPS 204, Module-Lattice-Based Digital Signature Standard FIPS 205, Stateless Hash-Based Digital Signature Standard	 NIST requests comments on three dr FIPS 203, <u>Module-Lattice-Based</u> FIPS 204, <u>Module-Lattice-Based</u> FIPS 205, Stateless Hash-Based

ory TY RESOURCE CENTER

olic Draft)

Based Digital Signature Standard

nents@nist.gov

Technology raft Federal Information Processing Standards (FIPS): <u>d Key-Encopsulation Mechanism Standard</u> <u>d Digital Signature Standard</u> d Digital Signature Standard



A LATTICE PROBLEM

Given a basis and some non-lattice point in its space find a nearby lattice point.

- 1. Alice uses Bob's public key to select a lattice point P and computes X = P + m, where m is a "small" n –dimensional vector.
- 2. Alice sends Bob: X = P + m
- Bob uses his private key to find the 3. nearest lattice point to X that is P and computes X - P = m.





FIPS 203, ML-BASED KEM, LATTICE PROBLEMS, CTD

- A lattice $L \subset R_n$ is a set of integer linear combinations of n linearly independent vectors $\boldsymbol{b}_1, \ldots, \boldsymbol{b}_n$: $L(\boldsymbol{b}_1, \ldots, \boldsymbol{b}_n) = \sum_{z_i \in Z} z_i \boldsymbol{b}_i = \mathbf{B} \boldsymbol{z}, \ \boldsymbol{z} \in Z^n$, with $\mathbf{B} \in \mathbb{R}^{n \times n}$ a matrix with the basis vectors as columns.
- L is cyclic if $\forall a \in L$: $rot(a) \in L$, where rot(x) is a rotational shift of a. Cyclic lattices correspond to ideals *L* in the polynomial ring $Z[x]/(x^n - 1)$. Then $-L_{I} = \left\{ \left((a_0, \dots, a_{n-1}) | \sum_{i=0,n-1} a_i x^i \in I \right) \right\} \subset Z^n.$
- Learning with Errors (LWE) problem: find a (secret) vector s given matrix A and vector b = As + e (infering A from noisy samples Az, using basis "A").
- Lattices are standard if they are based on LWE; they are ideal if A is cyclic.
- Modular lattices (ML) exploit a tradeoff between the efficiency of ideal lattices and the security of standard lattices.



FIPS 204, ML-BASED DSA STANDARD

High-Level Overview

- Security is based on the hardness of finding short vectors in lattices (the hardness of Module-LWE and Module-SIS (Short Integer Solution for lattices)
- A Schnorr-like lattice-based signature scheme
- All operations over $R = Z_q / (X^{256} + 1)$ for $q = 2^{23} 2^{13} + 1$ (= 8,380,417)
- Three versions.

	Private Key	Public Key	Signature Siz
ML-DSA-44	2528	1312	2426
ML-DSA-65	4000	1952	3293
ML-DSA-87	4864	2592	4595

Sizes in bytes





27

FIPS 204, ML-BASED DSA STANDARD, CTD

Schnorr signature

An interactive proof between a Prover P who knows g, the generator of a group and a value x, and a Verifier V who knows g and $y = g^x$. P demonstrates knowledge of x to V in three steps.

- Commitment: P generates a random positive integer r and commits to it by sending g^r to the V.
- Challenge: V sends a random positive integer *c* to P.
- **Response:** P returns s = r cx, and V checks whether g^s

To make this non-interactive *c* is derived from the hash of the commitment.





28

FIPS 204, ML-DSA STANDARD, BASIC IDEA

Build a signature scheme from an analogous interactive protocol, where a prover P who knows matrices $A \in Z_q^{K \times L}$, $S_1 \in Z_q^{L \times n}$ and $S_2 = Z_2^{K \times n}$ with short coefficients, demonstrates knowledge of S_1 , S_2 to a Verifer V who knows A and $T \in Z_q^{K \times n}$, with T = $AS_1 + S_2$. Such an interactive protocol would proceed as follows:

- *Commitment*: P generates y ∈ Z^L_q with short coefficients and commits to it by sending Ay to V.
 Challenge: V sends a vector c ∈ Z^L_q with short coefficients to P
- **Response:** P returns $z = y + S_1c$, and V checks whether Az + T

The public key is (A, T) and the private key is (S_1, S_2) .

ML-DSA uses several transformations to reduce the size the key size and signature size.

Tc≈Ay. S/UM



THE FRAMEWORK AND CURRICULUM ACTIVITIES

- The framework is based on the SCCT theory
 - The Social Cognitive Career Theory
 - The students need to take one quantum computer course
 - In addition, they need to be involved in solving problems using quantum computing through individualized research programs



SUMMARY

- We plan to make our curricular materials available to every CAE Institute that would be interested in having their program
- As NSF is pushing to have programs that incorporate quantum computing, having such a program could enhance proposals potentially Community Symposium



